

$A_k = \{9.982012300 * 10^2,$
 $-1.929769495 * 10^2,$
 $3.891238958 * 10^2,$
 $-1.668103923 * 10^3,$
 $1.352215441 * 10^4,$
 $-8.829278388 * 10^4,$
 $3.062874042 * 10^5,$
 $-6.138381234 * 10^5,$
 $7.470172998 * 10^5,$
 $-5.478461354 * 10^5,$
 $2.234460334 * 10^5,$
 $-3.903285426 * 10^4\}$

$\ln[59]:= B_k = \{-2.0618513 * 10^{-1},$
 $-5.2682542 * 10^{-3},$
 $3.6130013 * 10^{-5},$
 $-3.8957702 * 10^{-7},$
 $7.1693540 * 10^{-9},$
 $-9.9739231 * 10^{-11}\}$

$\ln[60]:= C1_k = \{1.693443461530087 * 10^{-1},$
 $-1.046914743455169 * 10^1,$
 $7.196353469546523 * 10^1,$
 $-7.047478054272792 * 10^2,$
 $3.924090430035045 * 10^3,$
 $-1.210164659068747 * 10^4,$
 $2.248646550400788 * 10^4,$
 $-2.605562982188164 * 10^4,$
 $1.852373922069467 * 10^4,$
 $-7.420201433430137 * 10^3,$
 $1.285617841998974 * 10^3\}$

$\ln[61]:= C2_k = \{-1.193013005057010 * 10^{-2},$
 $2.517399633803461 * 10^{-1},$
 $-2.170575700536993,$
 $1.353034988843029 * 10^1,$
 $-5.029988758547014 * 10^1,$
 $1.096355666577570 * 10^2,$
 $-1.422753946421155 * 10^2,$
 $1.080435942856230 * 10^2,$
 $-4.414153236817392 * 10^1,$
 $7.442971530188783\}$

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In[62]:= C3k = {-6.802995733503803 * 10^-4,
1.876837790289664 * 10^-2,
-2.002561813734156 * 10^-1,
1.022992966719220,
-2.895696483903638,
4.810060584300675,
-4.672147440794683,
2.458043105903461,
-5.411227621436812 * 10^-1}
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In[63]:= C4k = {4.075376675622027 * 10^-6,
-8.763058573471110 * 10^-6,
6.515031360099368 * 10^-6,
-1.515784836987210 * 10^-6}
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In[64]:= C5k = {-2.788074354782409 * 10^-8,
1.345612883493354 * 10^-8}
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In[66]:= density[p_, t_] := Ak[[1]] + Sum[Ak[[k]] p^(k-1) +
Sum[Bk[[k]] (t-20)^k + Sum[C1k[[k]] p^k (t-20) + Sum[C2k[[k]] p^k (t-20)^2 +
Sum[C3k[[k]] p^k (t-20)^3 + Sum[C4k[[k]] p^k (t-20)^4 + Sum[C5k[[k]] p^k (t-20)^5
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In[74]:= density[0.2, -10]
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Out[74]= 977.638
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